On the Relations of the Law of Anisotropic Hardening of Plastic Material

$$\begin{split} [(\sigma_x + c \varepsilon_x) - (\sigma + c \varepsilon) + 2/3k] [\sigma_y + c \varepsilon_y) - (\sigma + c \varepsilon) + 2/3k] &= (\tau_{xy} + c \varepsilon_{xy})^2 \quad (r.i) \quad (11) \end{split}$$
 where
$$\sigma = \frac{1}{2} (\sigma_x + \sigma_y + \sigma_z), \quad \varepsilon = \frac{1}{2} (\varepsilon_x + \varepsilon_y + \varepsilon_z).$$

$$d\varepsilon_x+d\varepsilon_y+d\varepsilon_z=0$$

$$d\varepsilon_{x} + d\varepsilon_{xy} \frac{\sigma_{y} - c\varepsilon_{y} - \sigma + 2/3 k}{\tau_{xy} - c\varepsilon_{xy}} + d\varepsilon_{xz} \frac{\sigma_{z} - c\varepsilon_{z} - \sigma + 2/3 k}{\tau_{xz} - c\varepsilon_{xz}} =$$

$$= d\varepsilon_{xy} \frac{\sigma_{x} - c\varepsilon_{x} - \sigma + 2/3 k}{\tau_{xy} - c\varepsilon_{xy}} + d\varepsilon_{y} + d\varepsilon_{yz} \frac{\sigma_{z} - c\sigma_{z} - \sigma + 2/3 k}{\tau_{yz} - c\varepsilon_{yz}}$$

$$= d\varepsilon_{xz} \frac{\sigma_{x} - c\varepsilon_{x} - \sigma + 2/3 k}{\tau_{xz} - c\varepsilon_{xz}} + d\varepsilon_{yz} \frac{\sigma_{y} - c\varepsilon_{y} - \sigma - 2/3 k}{\tau_{yz} - c\varepsilon_{yz}} + d\varepsilon_{z}$$

$$= d\varepsilon_{xz} \frac{\sigma_{x} - c\varepsilon_{x} - \sigma + 2/3 k}{\tau_{xz} - c\varepsilon_{xz}} + d\varepsilon_{yz} \frac{\sigma_{y} - c\varepsilon_{y} - \sigma - 2/3 k}{\tau_{yz} - c\varepsilon_{yz}} + d\varepsilon_{z}$$

$$= d\varepsilon_{xz} \frac{\sigma_{x} - c\varepsilon_{x} - \sigma + 2/3 k}{\tau_{xz} - c\varepsilon_{xz}} + d\varepsilon_{yz} \frac{\sigma_{y} - c\varepsilon_{y} - \sigma - 2/3 k}{\tau_{yz} - c\varepsilon_{yz}} + d\varepsilon_{z}$$

$$= d\varepsilon_{xz} \frac{\sigma_{x} - c\varepsilon_{x} - \sigma + 2/3 k}{\tau_{xz} - c\varepsilon_{xz}} + d\varepsilon_{yz} \frac{\sigma_{y} - c\varepsilon_{y} - \sigma - 2/3 k}{\tau_{yz} - c\varepsilon_{yz}} + d\varepsilon_{z}$$

$$= d\varepsilon_{xz} \frac{\sigma_{x} - c\varepsilon_{x} - \sigma + 2/3 k}{\tau_{xz} - c\varepsilon_{xz}} + d\varepsilon_{yz} \frac{\sigma_{y} - c\varepsilon_{y} - \sigma - 2/3 k}{\tau_{yz} - c\varepsilon_{yz}} + d\varepsilon_{z}$$

$$= d\varepsilon_{xz} \frac{\sigma_{x} - c\varepsilon_{x} - \sigma + 2/3 k}{\tau_{xz} - c\varepsilon_{xz}} + d\varepsilon_{yz} \frac{\sigma_{y} - c\varepsilon_{y} - \sigma - 2/3 k}{\tau_{yz} - c\varepsilon_{yz}} + d\varepsilon_{yz} \frac{\sigma_{y} - c\varepsilon_{y} - \sigma - 2/3 k}{\tau_{yz} - c\varepsilon_{yz}} + d\varepsilon_{yz} \frac{\sigma_{y} - c\varepsilon_{y} - \sigma - 2/3 k}{\tau_{yz} - c\varepsilon_{yz}} + d\varepsilon_{yz} \frac{\sigma_{y} - c\varepsilon_{y} - \sigma - 2/3 k}{\tau_{yz} - c\varepsilon_{yz}} + d\varepsilon_{yz} \frac{\sigma_{y} - c\varepsilon_{y} - \sigma - 2/3 k}{\tau_{yz} - c\varepsilon_{yz}} + d\varepsilon_{yz} \frac{\sigma_{y} - c\varepsilon_{y} - \sigma - 2/3 k}{\tau_{yz} - c\varepsilon_{yz}} + d\varepsilon_{yz} \frac{\sigma_{y} - c\varepsilon_{y} - \sigma - 2/3 k}{\tau_{yz} - c\varepsilon_{yz}} + d\varepsilon_{yz} \frac{\sigma_{y} - c\varepsilon_{y} - \sigma - 2/3 k}{\tau_{yz} - c\varepsilon_{yz}} + d\varepsilon_{yz} \frac{\sigma_{y} - c\varepsilon_{y} - \sigma - 2/3 k}{\tau_{yz} - c\varepsilon_{yz}} + d\varepsilon_{yz} \frac{\sigma_{y} - c\varepsilon_{y} - \sigma - 2/3 k}{\tau_{yz} - c\varepsilon_{yz}} + d\varepsilon_{yz} \frac{\sigma_{y} - c\varepsilon_{y} - \sigma - 2/3 k}{\tau_{yz} - c\varepsilon_{yz}} + d\varepsilon_{yz} \frac{\sigma_{y} - c\varepsilon_{y} - \sigma - 2/3 k}{\tau_{yz} - c\varepsilon_{yz}} + d\varepsilon_{yz} \frac{\sigma_{y} - \varepsilon_{y} - \varepsilon_{y}}{\tau_{yz} - \varepsilon_{y}} + d\varepsilon_{yz} \frac{\sigma_{y} - \varepsilon_{y}}{\tau_{y}} + d\varepsilon_{yz} \frac{\sigma_{y} - \varepsilon_{y}}{\tau_{y}} + d\varepsilon_{yz} \frac{\sigma_{y} - \varepsilon_{y}}{\tau_{y}} + d\varepsilon_{y} \frac{\sigma_{y} - \varepsilon_{y}}{\tau_{y}} + d\varepsilon_{y}} \frac{\sigma_{y} - \varepsilon_{y}}{\tau_{y}} + d\varepsilon_{y}} \frac{\sigma_{y} - \varepsilon_{y}}{\tau_{y}} + d\varepsilon_{y}} \frac{\sigma_{y}$$

Card 2/5

On the Relations of the Law of Anteste ple -Herdening of Plastic Material

77991 307/40-24-1-19/20

the strain compatibility conditions:

$$\frac{\partial \omega_x}{\partial y} = \frac{\partial \omega_y}{\partial x} + \frac{\partial \varepsilon_{yz}}{\partial y} + i \frac{\partial \varepsilon_{yz}}{\partial y} + i \frac{\partial \omega_x}{\partial z} + \frac{\partial \varepsilon_z}{\partial y} + \frac{\partial \varepsilon_{yz}}{\partial z} = 0 \quad (nyz) \tag{10}$$

and the equations obtained by substituting

$$\sigma_{\mathbf{x}} = p + 2k\cos^2\theta_{\mathbf{x}} + \epsilon\epsilon_{\mathbf{x}}, \quad \tau_{\mathbf{x}\mathbf{y}} = 2k\cos\theta_{\mathbf{y}}\cos\theta_{\mathbf{y}} + \epsilon\epsilon_{\mathbf{x}\mathbf{y}} \quad (2yz) \tag{12}$$

into the equilibrium equations:

$$\frac{\partial z_{x}}{\partial x} + \frac{\partial \tau_{xy}}{\partial y} + \frac{\partial \tau_{xx}}{\partial x} = 0 \qquad (xyx) \tag{13}$$

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Card 3/5

On the Relations of the Law of Anisotropie Hardening of Plastic Material

77991 807/40-24-1-19/26

The characteristic surfaces ψ satisfy the equation

 $(\text{grad } \psi n) \left[(2 \text{ grad } \psi n)^2 + (\text{grad } \psi)^2 \right] = 0$ (16)

where n is the unit vector $\cos\theta_{x}$ 1 + $\cos\theta_{y}$ J + $\cos\theta_{z}$ k. The author also considers plane strain and starts from relations corresponding to Eq. (12) (13) (14) (15). The yield condition is taken as

 $\{(\sigma_x - c\epsilon_x) - (\sigma_y - c\epsilon_y)\}^2 + 4(\tau_{xy} - c\epsilon_{xy})^2 - 4\lambda^2, \qquad V. \ c = const. \tag{2}$

This time a hyperbolic system of five equations is obtained as well as the equations for the characteristics, It is shown that along the characteristics relations hold which are generalizations of Hencky's. From the stress-strain relation, deiringer equations are seen to hold. The author concludes by

Card 4/5

On the Relations of the Law of Anisotropic Hardening of Plastic Material

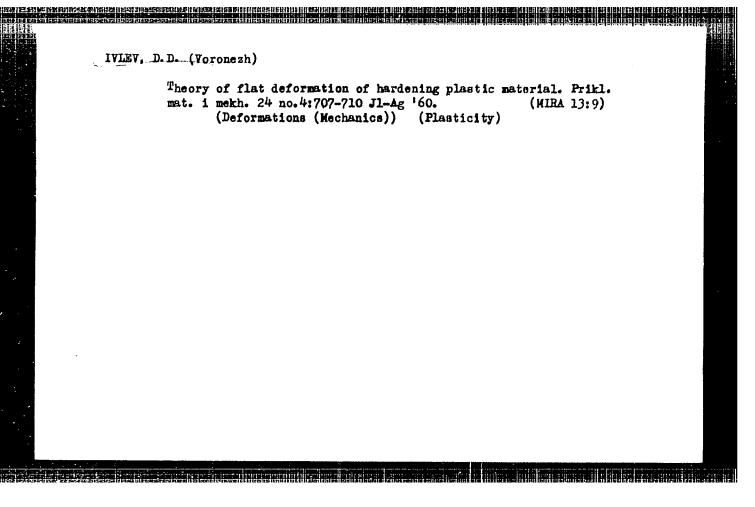
77991 SOV/40-24-1-19/28

noting that a consideration of the combined effects of anisotropy and hardening can lead to a simplification of the mathematical problem. There are 6 references, 4 The Theory of Plasticity: A Survey of Recent Achievements, Proc. Inst. Mech. Eng., 169, 41 (1955); R. ga (1958).

SUBMITTED:

November 24, 1959

Card 5/5



S/040/60/024/005/023/028 C111/C222

AUTHOR: Ivlev, D.D. (Voronezh)

Card 1/2

TITLE: On the Extremal Properties of the Conditions of Plasticity PERIODICAL: Prikladnaya matematika i mekhanika, 1960, Vol.24, No.5, pp.951-955

TEXT: The present paper essentially has a polemic character and is directed against a paper of S.A.Shesterikov (Ref.10). At first the author summarizes his earlier results (especially (Ref.7)) and formulates his point of view:

In the theory of the homogeneous, ideally incompressible, normally isctropic (the body is called normally isotropic if the flow limits are equal for dilatation and compression, and a change of signs of the tensions involves a change of signs of the shifts) rigid-plastic body there exists a single true plasticity condition (fundamental assumption). The qualitative behavior of yielding metals being little different from ideal-plastic metals, and experiments which have proved that the more characteristic the flowing surface of the metal the better the Tresca condition is satisfied, point to the fact that this true plasticity condition is that of Tresca.

There exist energy criteria which out of the class of possible plasticity

67836 24.4100 5/020/60/130/06/015/059 16(1) B013/B007 Ivlev, D. D. AUTHOR: The Equations of Linearized Space Problems in the Theory of TITLE: Ideal Plasticity 7/20 Doklady Akademii nauk SSSR, 1960, Vol 130, Nr 6, pp 1232 - 1235 PERIODICAL: (USSR) The present article investigates the equations of the simplest linearized space problems. The author first investigates a beam ABSTRACT: with quadratic cross section, in which flat sections have been cut out. The z-axis is assumed to be directed along the beam, the x- and y-axes, to be perpendicular to the surfaces. The author investigates the plastic flow of the beam under the influence of tensile forces along the z-axis. The frontal surfaces of the beam have the length 2a. The equations for the sides of the beam are given in the form $x = +[a - \delta f(z)]$, $y = \pm [a - \delta f(z)]$, where the small parameter δ characterizes the depth of the cut-out section. The solution is set up in the form $\sigma_{\mathbf{x}} = \sigma_{\mathbf{x}}^{0} + \delta \sigma_{\mathbf{x}}^{1}$,; $\tilde{\varepsilon}_{\mathbf{x}} = \tilde{\varepsilon}_{\mathbf{x}}^{0} + \delta \varepsilon_{\mathbf{x}}^{1}$,; $u = u^{\circ} + \delta u'$, Here, σ_{x} , denote the components of Card 1/4

67886

The Equations of Linearized Space Problems in the S/020/60/130/06/015/059
Theory of Ideal Plasticity
B013/B007

stress, $\varepsilon_{\mathbf{x}}$,.... - the components of deformation; u,... - the components of the displacement rate. In the case of a perfectly plastic material of the beam, it is possible, through generalization of the relations found by M. Levi, to write as follows: $\sigma_{\mathbf{x}} = \sigma - \frac{2}{3}\mathbf{k} + 2\mathbf{k} \cos^2 \varphi_1, \qquad \sigma_{\mathbf{y}} = \sigma - \frac{2}{3}\mathbf{k} + 2\mathbf{k} \cos^2 \varphi_2$ $\sigma_{\mathbf{z}} = \sigma - \frac{2}{3}\mathbf{k} + 2\mathbf{k} \cos^2 \varphi_3, \qquad \tau_{\mathbf{xy}} = 2\mathbf{k} \cos \varphi_1 \cos \varphi_2,$ $\tau_{\mathbf{xy}} = 2\mathbf{k} \cos \varphi_2 \cos \varphi_3, \qquad \tau_{\mathbf{xy}} = 2\mathbf{k} \cos \varphi_3 \cos \varphi_1,$ where \mathbf{k} denotes the flow limit with respect to shearing, and where $\sigma = \frac{1}{3}(\sigma_{\mathbf{x}} + \sigma_{\mathbf{y}} + \sigma_{\mathbf{y}})$ holds. In the case under investigation, the solution is to be sought near the unperturbed state $\sigma_{\mathbf{z}}^0 = 2\mathbf{k}, \ \sigma_{\mathbf{x}}^0 = \sigma_{\mathbf{y}}^0 = \tau_{\mathbf{xy}}^0 = \tau_{\mathbf{zx}}^0 = 0; \ \varepsilon_{\mathbf{x}}^0 = \varepsilon_{\mathbf{y}}^0 = \varepsilon_{\mathbf{xy}}^0 = \varepsilon_{\mathbf{xy}}^0$

Card 2/4

67886

The Equations of Linearized Space Problems in the S/020/60/130/06/015/059 Theory of Ideal Plasticity B013/B007

$$\frac{\partial \sigma'}{\partial x} + \frac{\partial \tau'_{xz}}{\partial z} = 0 , \frac{\partial \sigma'}{\partial y} + \frac{\partial \tau'_{yz}}{\partial z} = 0, \frac{\partial \tau'_{xz}}{\partial x} + \frac{\partial \tau'_{yz}}{\partial y} + \frac{\partial \sigma'}{\partial z} = 0 \text{ one ob-}$$

tains with
$$\sigma' = \frac{\partial U}{\partial z}$$
, $\tau'_{xz} = -\frac{\partial U}{\partial x}$, $\tau'_{yz} = -\frac{\partial U}{\partial y}$ the equation

$$\frac{\partial^2 U}{\partial x^2} + \frac{\partial^2 U}{\partial y^2} - \frac{\partial^2 U}{\partial z^2} = 0$$
. The boundary conditions are then given

and linearized. The definition region of the solution is symmetric with respect to the intersection of the plane z=0 with the beam. The solutions must satisfy the conditions of conjugateness. Next, the equations for the field of the displacement rates are investigated: From $\frac{\partial u^i}{\partial z} + \frac{\partial w^i}{\partial x} = 0$,

$$\frac{\partial \mathbf{v}'}{\partial z} + \frac{\partial \mathbf{w}'}{\partial y} = 0$$
 one obtains with $\mathbf{u}' = \frac{\partial \mathbf{W}}{\partial x}$, $\mathbf{v}' = \frac{\partial \mathbf{W}}{\partial y}$, $\mathbf{w}' = -\frac{\partial \mathbf{W}}{\partial z}$

the equation $\frac{\partial^2 W}{\partial x^2} + \frac{\partial^2 W}{\partial y^2} - \frac{\partial^2 W}{\partial z^2} = 0$. The author deals also with the corresponding boundary conditions. Finally, he investigates

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CIA-RDP86-00513R000619320008-2 'APPROVED FOR RELEASE: 03/20/2001

\$/020/60/135/002/009/036 B019/B077

AUTHOR:

Ivlev, D. D.

TITLE:

Construction of the Hydrodynamics of a Viscous Fluid

PERIODICAL: Doklady Akademii nauk SSSR, 1960, Vol. 135, No. 2,

pp. 280 - 282

TEXT: The author studied the general relation between the deformation tensor (ε_{ij}) and the stress tensor (σ_{ij}) of an isotropic, incompressible, viscous fluid for which Newton's law holds. The assumptions made reduce this problem to that of an incompressible, elastic body where Hook's law holds for shear only. (ϵ_{ij}) denotes the deformation tensor and μ the shear modulus. A potential of the deformation rate is introduced which is given as $U = \frac{\sum_2}{12\mu} + \Phi(\sum_2, |\sum_3|)$ (12). \sum_2 and \sum_3 are the second and third invariants of the stress tensor "deviators" which are represented as

Card 1/2

Construction of the Hydrodynamics of a Viscous S/020/60/135/002/009/036 Fluid B019/B077

 $\sum_{2} = (\sigma_{11} - \sigma_{22})^{2} + (\sigma_{22} - \sigma_{33})^{2} + (\sigma_{33} - \sigma_{11})^{2} + 6(\sigma_{12}^{2} + \sigma_{23}^{2} + \sigma_{31}^{2})$ $\sum_{3} = s_{11}s_{22}s_{33} + 2\sigma_{12}\sigma_{23}\sigma_{31} - s_{11}\sigma_{23}^{2} - s_{22}\sigma_{31}^{2} - s_{33}\sigma_{12}^{2}, \text{ where } s_{ii} = \sigma_{ii}^{-\sigma}$ and $\sigma = \frac{1}{3}(\sigma_{11} + \sigma_{22} + \sigma_{33})$. Under these conditions the components of the deformation tensor can be obtained from $\varepsilon_{ij} = \frac{\partial U}{\partial \sigma_{ij}}$ (i = j) and $2\varepsilon_{ij} = \frac{\partial U}{\partial \sigma_{ij}} \quad (i \neq j). \text{ There are 1 figure and 4 references: 2 Soviet and 2 US.}$

ASSOCIATION: Voronezhskiy gosudarstvennyy universitet (Voronezh State University)

PRESENTED: June 15, 1960, by L. I. Sedov, Academician

SUBMITTED: May 25, 1960

Card 2/2

IVLEV, D.D (Voronezh)

State of spherical deformation of plastic media. PMTF no.1:72-75 Ja-F '61. (MIRA 14:6,

1. Voronezhskiy gosudaratvennyy universitet. (Deformations (Mechanics)) (Plastics)

BYKOVTSEV, G.I. (Voronezh); IVLEV, D.D. (Voronezh)

Determining critical loading for bodies pressud in a plastic medium. Izv. AN SSSR. Otd. tekh.nauk.Mekh. i mashinostr. no. 1:173-174 Ja-F '61. (MIRA 14:2)

(Plasticity)

IVLEV, D.D. (Voronezh)

Torsion of helical rods made of an ideal rigidly plastic material.

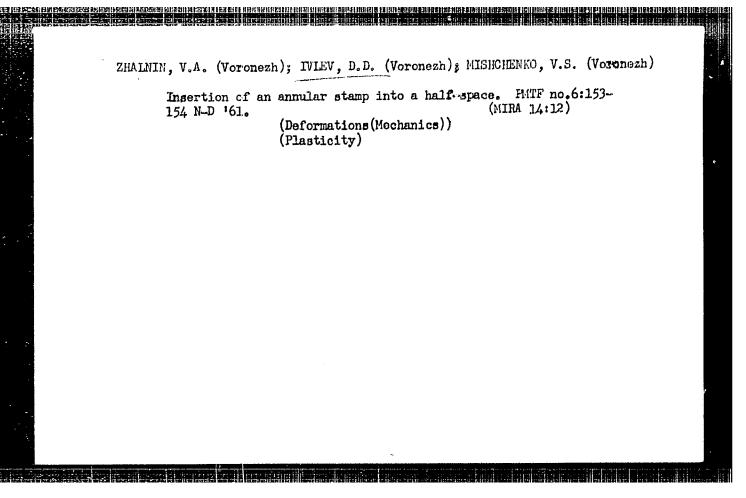
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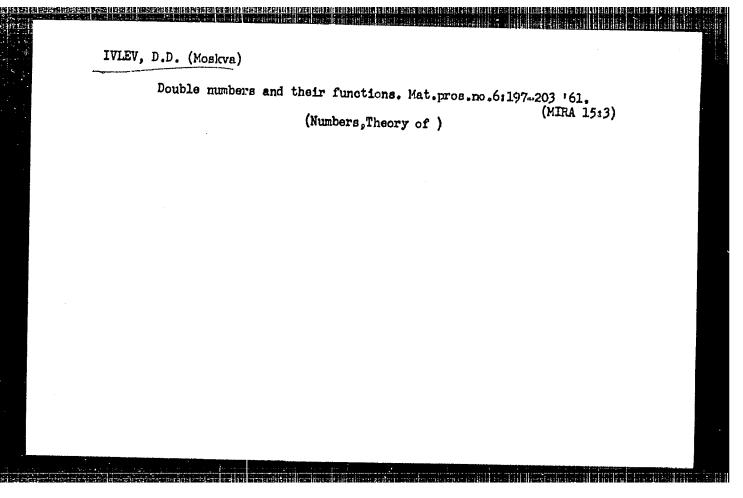
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'61.

1. Voronizhskiy gosuniversitet.

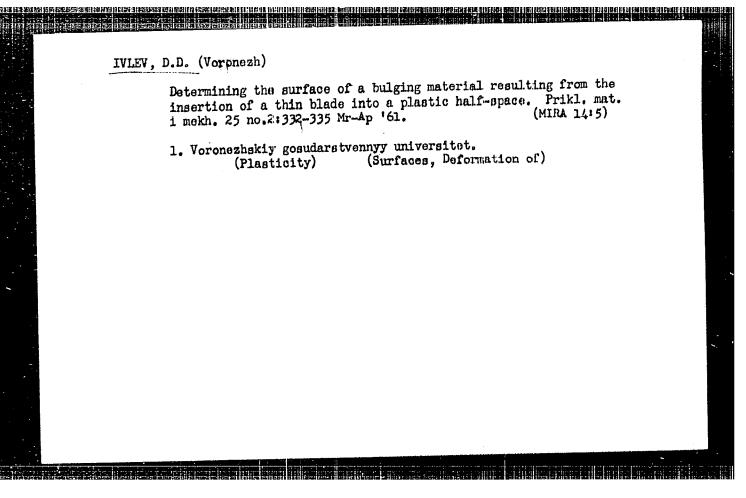
(Elastic rods and wires)





IVLEV, D.D. (Voronezh) Some remarks on the theory of non-homogeneous plastic media (The three-demensional problem). Archiw mech 13 no.2:203-211 '61.

1. State University, Voronezh, USSR., Chair of Electicity and Plasticity-



IVLEV, D.D. (Voronezh)

Mathematical description of the behavior of an elastic isotropic body with the aid of the piecewise-linear potential. Prikl. mat. i mekh. 25 nc.5:897-905 S-0 '61. (MIRA 14:10)

11.7314

S/040/61/025/006/016/021

AUTHORS:

Ivlev, D.D., and Martynova, T.N. (Voronezh)

TITLE:

Compressibility and the theory of ideal plastic materials

PERIODICAL: Prikladnaya matematika i mekhanika, v. 25, no. 6, 1961, 1126 - 1128

The effect of the compressibility of ideal plastic materials is considered. The von Mises theorem on the associated rule of plastic flow, is generalized. An isotropic plastic body is considered, subjected to a load. The stress components are denoted by oij. the strain components - by eij. Thereupon

 $dA = \sigma_{ij} de_{ij} = \sigma_{ij} de_{ij}' + 3\sigma de,$ (1.3)

where the prime denotes the components of the deviator tensor. Following von Mises, the extremum of (1.3) is sought, assuming that only the stress components vary. Thus one obtains Card 1/3

Compressibility and the theory of ...

21548 S/040/61/025/006/016/021 D299/D304

$$\underbrace{\epsilon_{ij}' = \lambda \left(\frac{\partial \Phi}{\partial \Sigma_{3}} \frac{\partial \Sigma_{2}}{\partial \sigma_{ij}} + \frac{\partial \Phi}{\partial \Sigma_{3}} \frac{\partial \Sigma_{3}}{\partial \sigma_{ij}} \right)}_{\text{output}}, \quad \epsilon_{ij} = \frac{d\epsilon_{ij}}{dt}, \quad \lambda = \frac{d\lambda_{1}}{dt} \tag{1.8}$$

Hence the following theorem is formulated: If the associated rule of plastic flow is determined on the basis of the extremum condition for Eq. (1.3), then the components of the deviator of the strain rates are directly proportional to the partial derivatives with respect to the stress components, whereby the expression (1.8) for the associated rule of plastic flow is entirely independent of the law of compressibility. As an example, plane deformation of an ideal plastic material is considered, under plasticity conditions

$$(\sigma_{\mathbf{x}} - \sigma_{\mathbf{y}}')^2 + 4\tau_{\mathbf{x}\mathbf{y}}^2 = 4c^2$$
, (c = const). (2.1)

It is found that compressibility has no effect whatsoever on the stresses. It is noted that if no restrictions are imposed from the very outset on the compressibility, the associated rule of plastic flow is expressed by

Card 2/3

$$\varepsilon_{ij} = \lambda \frac{\partial \Phi}{\partial \sigma_{ij}} \qquad (3.1)$$

χ

Substitute of the towers of the deviator components can be considered as independent of the components which characterize volume deformation. There are i figure and 5 references: 2 Sovietable and non-Sovietable of the references to the English-language publications read as follows: W. Prager, Biastic solits of limited Compressibility, Aster IX c. Jut. de mec. Appl., Brunelles. 1957, v. W. Prager, On idea. Towning movements. Trans. Soc. Theology, 1957, 1.

SUBMITTED: May 16, 196.

APPROVED FOR RELEASE: 03/20/2001 CIA-RDP86-00513R000619320008-2"

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25332 \$/020/61/138/006/008/019 B104/B214

AUTHOR:

Ivlev, D. D.

TITLE:

The development of the theory of elasticity

PERIODICAL: Akademiya nauk SSSR. Doklady, v. 133, no. 6, 1961, 1321-1324

TEXT: The author studies the development of the theory of elasticity of an isotropic body for small deformations following Hocke's law and occurring in simple experiments (tensile test, pure shear, uniform compression). It is shown that under the assumption made it is possible to build up a sufficiently large class of relations of the theory of elasticity. It is under compression and tension except for the change of sign. All bodies corresponding to this assumption are designated as normal isotropic bodies. The deformation potential of such bodies can be represented in the form $U = U(|\sigma|, \sum_2, |\Sigma_3|)$ (2), where G is the first invariant of the stress tensor, and Σ_2 and Σ_3 are the second and the third invariants of the stress deviator (Card 1/5)

The development of the theory of ... S/020/61/138/006/008/019 $\sigma = \frac{1}{3}(\sigma_x + \sigma_y + \sigma_z).$ $\Sigma_2 = (\sigma_x - \sigma_y)^2 + (\sigma_y - \sigma_z)^2 + (\sigma_z - \sigma_x)^2 + 6(\tau_{xy}^2 + \tau_{yz}^2 + \tau_{zz}^2), \quad (3) \quad (3)$ $\Sigma_3 = s_x s_y s_z + 2\tau_{xy} \tau_{yz} \tau_{zz} - s_z \tau_{zz}^2 - s_z \tau_{zy}^2,$ $\tau_{xx} c s_z = \sigma_x - \sigma.$ From (2) and (3) and the relation $\mathcal{E}_{i,j} \sim \mathcal{U}/\mathcal{X}_{i,j} \quad (\widetilde{\sigma}_{i,j} \text{ are the stress components}$ and $\mathcal{E}_{i,j}$ the deformation components) the author obtains: $\varepsilon_x = \frac{1}{3} \frac{\partial U}{\partial z} + 2 \frac{\partial U}{\partial z} (2\sigma_x - \sigma_y - \sigma_z) + \frac{\partial U}{\partial z} (\sin \Sigma) (s_y s_z - \tau_{yz}^2 + \frac{1}{18} \Sigma_z), \dots$ $\varepsilon_{xy} = 12 \frac{\partial U}{\partial z} \tau_{xy} + 2 \frac{\partial U}{\partial z} (\sin \Sigma) (\tau_y \tau_{xz} - s_z \tau_{yy}), \dots \quad (4) \quad (4)$ The remaining equations are obtained by cyclic interchange of the indices in these two equations. It is assumed that the volume compression is Card 2/5

The development of the theory of ... S/020/51/138/006/008/019 B104/2214 $directly proportional to the mean stress: <math>\mathcal{O}=3Kc$; $\mathcal{E}=\frac{1}{3}(\mathcal{E}_{\chi}+\mathcal{E}_{y}+\mathcal{E}_{z})$ (5). \mathbf{r}_{χ} $Then one obtains from (4): <math>3\varepsilon=\partial U/\partial \sigma'(\delta)$. From (5) and (6) is obtained: $\partial U/\partial \sigma=\partial /K, \ U=\frac{\partial ^{2}}{2K}+\mathcal{E}(\mathcal{E}_{z})^{2}, \ \mathcal{E}_{z}, \ \mathcal{E}_{z}$

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The development of the theory of ...

S/020/61/138/006/008/019 B104/B214

From (9) it follows that for one-sided tension (compression) $\xi_y = \xi_z$; also $\xi_y = \xi_z = -\nu \xi_x$, where is the Poisson ratio. From (5) and (8) one obtains $K = E/3(1-2\nu)$. The sum of the three equations (9) is identically zero. The first of these three equations is considered independent and written in the form:

$$\frac{\sigma_{x}}{E} = \frac{\sigma_{x}}{9K} + 4\frac{\partial \bar{\psi}}{\partial \Sigma_{2}} \sigma_{x} + \frac{2}{9} \frac{\partial \bar{\psi}}{\partial |\Sigma_{3}|} \left(\operatorname{sign} \Sigma_{3} \right) \sigma_{x}^{2}. \tag{11}$$

From this follows for one-sided tension (compression): $\sum_{2=2C_{\chi}^2}, \sum_{3=2T_{\chi}^2}$. In the further studies the author shows that the limitations imposed by the simple experiments do not permit the determination of the kind of relationship between C_{ij} and C_{ij} in an isotropic elastic body. The usual generalization of the Hooke's law in publications makes use of the assumption: $\Phi = \Phi(\Sigma_2)$. However, one cannot conclude a priori that the Card 4/5

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The development of the theory of ,...

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deformation potential is independent of the third invariant of the stress deviator. The author is of the view that the whole material of the simple experiments represents the relation between $\delta_{i,j}$ and $\delta_{i,j}$. The problem of finding the true relationship of $\delta_{i,j}$ and $\delta_{i,j}$ consists in the determination of all possible correlations under the given limitations and separation of the natural correlations by a suitable formulation of the variation problem. The author thanks L. I. Sedov and M. E. Eglit for valuable advice. There are 5 Seviet bloc references.

ASSOCIATION: Voronethskiy gosudarstvennyy universitet (Voronezh State University)

PRESENTED: February 2, 1961, by L. I. Sedov, Academician

SUBMITTED: February 1, 196;

Card 5/5

5/179/62/000/006/013/022 E199/E442

AUTHOR:

Ivlev. D.D. (Voronezh)

TITLE:

The theory of limiting equilibrium of shells of

revolution with piecewise-linear plasticity conditions

PERIODICAL: Akademiya nauk SSSR.

Akademiya nauk SSSR. Izvestiya. Otdeleniye tekhnicheskikh nauk. Mekhanika i mashinostroyeniye,

no.6, 1962, 95-102

TEXT: The paper, which is a continuation of previous work (Prikl. matem. i mekhanika, no. 6, 1958, 22) is a development of E. Onat and V. Prager's approach to the synthesis of the flow surface of a shell of revolution subjected to the Tresca yield condition (Collection "Mekhanika", no.5, IL, 1955). present paper, the material is assumed to obey the conditions of maximum reduced stress. Since all possible conditions of flow of an isotropic incompressible material are included between the plasticity conditions of maximum shear stress and of maximum reduced stress, the solutions obtained under these flow conditions determine the upper and lower limits of all possible solutions. It is shown that if the flow surface is derived in terms of

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The theory of limiting ...

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generalized forces for any one piecewise-linear plasticity condition, the remaining flow conditions can be obtained from it by elementary transformations. There are 5 figures.

SUBMITTED:

August 20, 1962

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AUTHORS: Ivlev, D. D.; Marty*nova, T. N. (Voronezh)

TITLE: Condition of total plasticity for an axi-symmetric state

SOURCE: Zhurnel prikladnoy mekhaniki i tekhnicheskoy fiziki, no. 3, 1963, 102-104

TOPIC TAGS: plasticity, plastic flow, statically determined, approximate equation axi-symmetric state

ABSTRACT: In the study of problems of plastic flow of an ideal-plastic substance, great simplification in solution is attained by consideration of the use of piece-wise-linear approximations of the conditions of flow (condition of Tresk, condition of maximal reduced stress, etc.). G. O. Genki (O nekotory*kh staticheski opredelimy*kh sluchayakh ravnovesiya v plasticheskikh telakh. Sb. "Teoriya plastichmosti," M., IL, 1948.) has shown that if the stressed state corresponds to the edge of a prism, interpreting Tresk's condition of plasticity in the space of principal stresses (condition of total plasticity), then the problem of determining stresses is statically determined. The authors consider relations of an exi-symmetric problem of a rigid-plastic nonmoving substance when the stressed and deformed states correspond to the edge of an arbitrary, piecewise-linear surface of flow

Card 1/2

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interpreting the condition of plasticity in the space of principal stresses. They show that in this case the problem of finding the stresses is also statically determined. The solution of axi-symmetric problems under a condition of total plasticity (conditions of correspondence of the stresses and deformed states to the edges of piecewise-linear conditions of flow) makes it possible to find upper and lower bounds of solutions. Orig. art. has: 13 formulas and 1 diagram.

ASSOCIATION: none

SUBLITTED: 21Jan63

DATE ACQ: 16Jul63

BICL: 00

SUB CODE: AP

NO REF SOV: 005

OTHER: 000

Card 2/2

DUDUKALENKO, V.V. (Voronezh); IVLEV, D.D. (Voronezh)

Torsion of prismatic rods made of hardening material under linearized plasticity conditions. Izv.AN SSSR.0td.tekh.nauk.Mekh.i mashinostr. no.3:115-118 My-Je '63. (MIRA 16:8)

1. Voronezhskiy gosudarstvennyy universitet. (Elastic rods and wires) (Torsion)

IVLTV, D.B. (Voronezh): MANTYNOVA T.N. (Voronezh)

Limiting state of axisymmetric badies under conditions of resistance to shear and separation. Izv.AN SSSR. Mekh. i mashimostr. no.4; 79-35 Jl-Ag '63. (MIRA 17:4)

BEREZHNOY, I.A. (Voronezh); IVLEV, D.D. (Voronezh)

Torsion of prismatic rods from ideally plastic material taking microstress into account. PMTF no.5:154-157 S=0 163.

DUDUKALENKO, V.V. (Voronezh); IVIEV, D.D. (Voronezh)

Torsion of anisotropically hardening prismatic rods under the linearized law of plastic flow. Izv.AN SSSR.Mekh. i mashinostr. no.5:173-175 S-0 '63. (MIRA 16:12)

1. Voronezhskiy gosudarstvennyy universitet.

ZNAMENSKIY, V.A. (Voromezh); IVLEV, D.D. (Voronezh)

Equations for a viscoplastic solid at piecewise linear potentials. Izv. AN SSSR. Mekh. i mashinostr. no.6:12-16 N-D '63.

(MIRA 17:1)

IVLEV, D.D. (Voronesh); MARTYNOVA, T.N. (Voronezh)

Theory of compressible ideally plastic media. Prikl. mat. 1
mekh. 27 no.32589-592 My-Je '63. (MIRA 1626)

(Plasticity)
(Deformations(Mechanics))

IVLEV, D.D.

On the theory of compound media. Dokl. AN SSSR 148 no.1:64-67
Ja *63.

1. Voronezhskiy gosudarstvennyy universitet. Predstavleno akademi-kom A.Yu. Ishlinskim.

(Strains and stresses)

DUDUKALENKO, V.V.; IVLEV, D.D.

Compression of a strip from case-hardening plastic material by rigid rough plates. Dokl. AN SSSR 153 no.5:1024-1026 D '63. (MIRA 17:1)

1. Voronezhskiy gosudarstvennyy universitet. Predstavleno akademikom Yu.N. Rabotnovym.

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S/0179/64/000/004/0077/0086

ACCESSION NR: AP4043892

AUTHOR: Ivlev, D. D., Listrova, Yu. P., Nemirovskiy, Yu. V.

TITLE: Limit design of laminated plates and shells of revolution

SOURCE: AN SSSR. Izvestiya. Mekhanika i mashinostroyeniye, no. 4, 1964, 77-86

TOPIC TAGS: airfoil design, limit design, airfoil limit design, laminated plate, shell of revolution, shell stability, cylindrical shell

ABSTRACT: Many investigations have considered the carrying capacity of plates and shells of revolution. The theory has been simplified significantly by consideration of laminated models. The limit design of reinforced plates and cylindrical shells has also been considered with the shell consisting of two layers. In the present paper, reinforced shells are considered as laminated shells, and shells of revolution are analyzed, particularly cylindrical shells. These shells have sets of meridional and annular diaphragms. Fig. 1. in the Enclosure shows the different structural members. In this figure, a_1 , b_1 and c_1 may be replaced by a_2 , b_2 , and c_2 and eventually by the multi-laminar structures a_3 , b_3 and c3. First, a1 is considered. This can be replaced by the models in Fig. 2 of the Card 1/8

ACCESSION	NTD.	AP4043892
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Enclosure. The upper layer is taken as the skin and the other two layers are diaphragms. If the limit resistance under tension-compression for the structures shown in Figs. 2a

and 2b coincide:

$$n_{0i} = k l_{i} \delta + k_{i} H_{i} s_{i} = k' l_{i} \delta' + k_{i}' (l_{i} l_{i}^{+} + l_{i} l_{i}^{-})$$

$$(1)$$

$$k l' + k l^{0} = \frac{k_{i} H_{i} s_{i}}{l_{i}}$$

$$(2)$$

After transformations:

$$k_i^{\alpha} + k_i^{\alpha \alpha} = \frac{k_i H_i s_i}{I_i}$$

$$(2)$$

where k' is the yield point of the skin and k! (with i=1, 2) are the yield points of the layers replacing the diaphragms. Further, the authors find the limit moments (Fig.

 $M_{0i} = \frac{1}{2} s_i k_i z_i^2 + \frac{1}{2} s_i k_i \left(H_i - z_i \right)^3 + \frac{1}{2} k l_i \left[(H_i - z_i + \delta)^2 - (H_i - z_i)^3 \right]$ (i = 1, 2)(3)2a):

Equations are then evolved for the other types of structures considered. The creep surfaces of laminated shells are plotted on the basis of methods developed by V. Prager. Considering that the skin material follows the plastic conditions of Tresk (see Fig. 3 in

Card 2/8

ACCESSION NR: AP4043892

in the Enclosure) and that D is the dissipation of mechanical work per unit of time for a deformed shell, we obtain

where C_1 and C_2 are the deformation rates. On the basis of approximations described by P. G. Hodges, Jr. the creep surface is plotted as the intersection of the creep surfaces without moments and with pure moments. Under maximum stress without moments, the creep surface is:

The is: $N_{1} = \frac{1}{3}k^{*} \left[\text{sign} \left(\epsilon_{10} + 2\epsilon_{20} \right) + 2 \text{sign} \left(2\epsilon_{10} + \epsilon_{20} \right) - \text{sign} \left(\epsilon_{20} - \epsilon_{10} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{10} + 2\epsilon_{20} \right) + \text{sign} \left(2\epsilon_{10} + \epsilon_{20} \right) + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{10} + 2\epsilon_{20} \right) + \text{sign} \left(2\epsilon_{10} + \epsilon_{20} \right) + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{10} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{10} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{10} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{10} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{10} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{10} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{10} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{10} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{10} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{10} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{10} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{10} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{10} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{10} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{10} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{10} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{20} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{20} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{20} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{20} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{20} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{20} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{20} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{20} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{20} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{20} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{20} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{20} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{20} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{20} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{20} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{20} \right) \right] + \frac{1}{3}k^{*} \left[2 \text{sign} \left(\epsilon_{20} - \epsilon_{20}$

The limit condition of cylindrical shells under axial load is also considered in the paper. The polyhedrow shown in Fig. 4 of the Enclosure is plotted on the basis of the Tresk creep

Card 3/8

ACCESSION NR: AP4043892

condition and the previously mentioned dissipation, and parameters for the models are

tabulated. Orig. art.has: 10 figures, 29 equations and 5 tables.

ASSOCIATION: none

SUBMITTED: 04Feb63

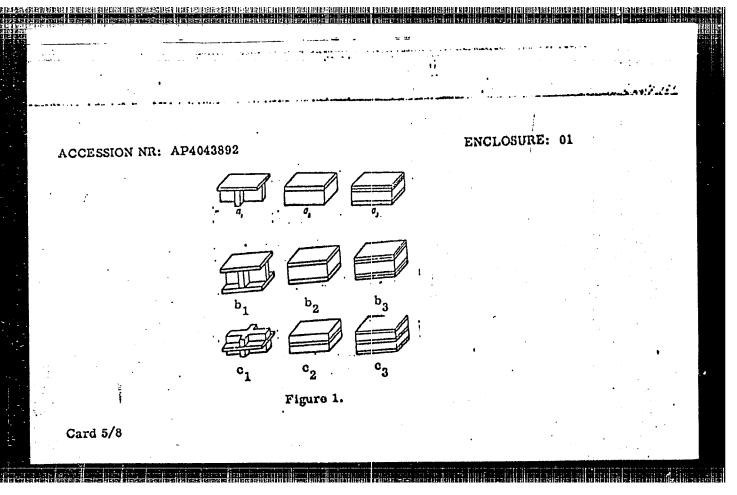
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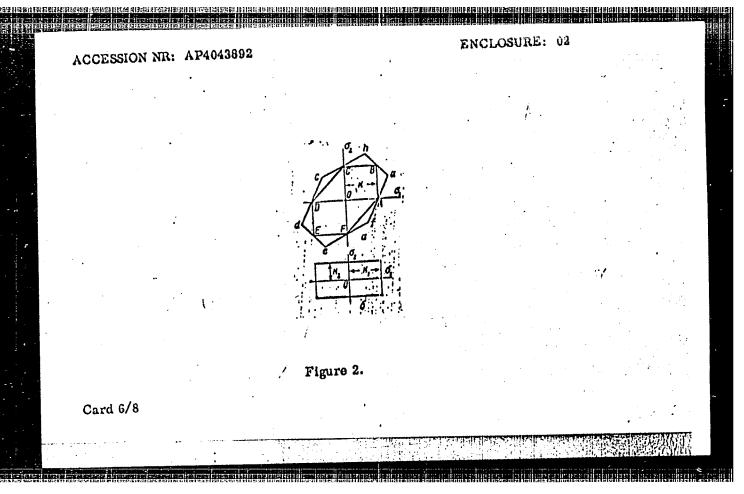
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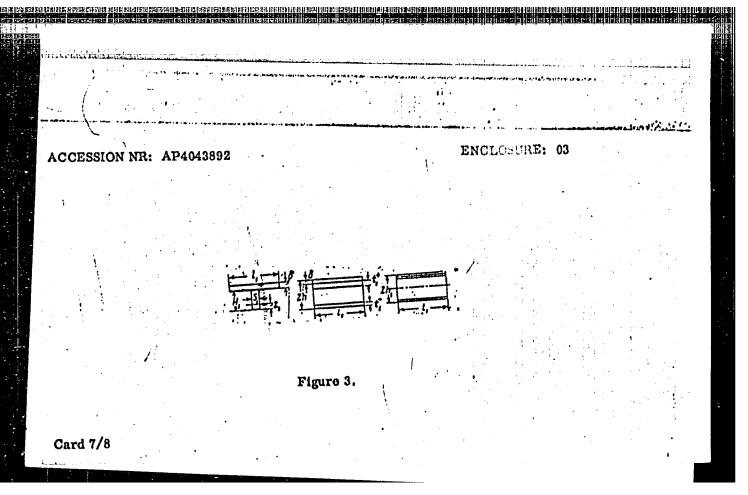
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OTHER: 003

Card 4/8

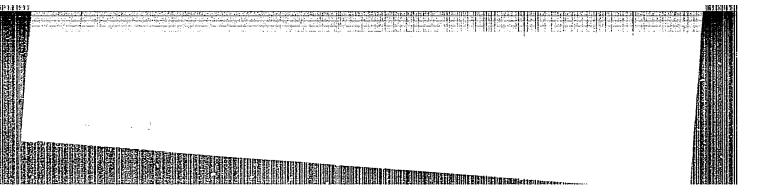






IVLEV, D.D.; LISTROVA, Yu.P.; NEMIROVSKY, Yu.V.

Theory of the limiting state of laminated plates and shells of revolution. Izv. AN SSSR Mekh. i mashinostr. no.4t 77-86 *64 (MIRA 17:8)

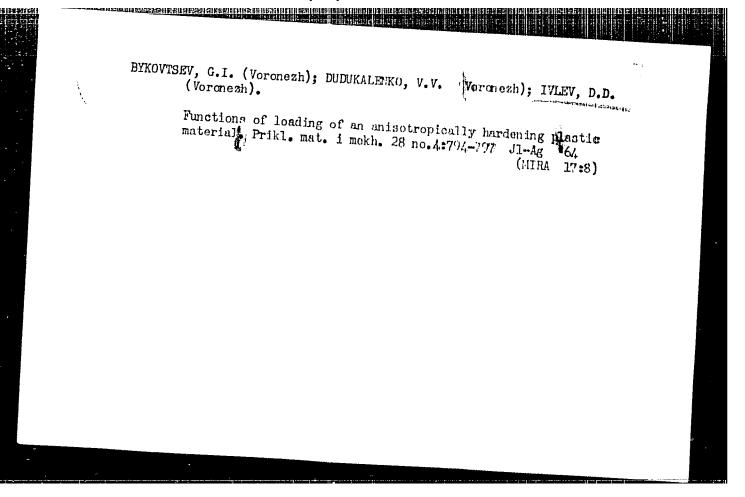


IVLEV, D.D. [Ivliev, F.D.] (Voronesh); LEXENYA, I.D. [Lehenia, i.D.]

Stability of a plate subjected to small deformations in the general case of the nonlinear deformation theory. Prykl. mekh.

10 no.2:117-123 '64. (MIRA 17:7)

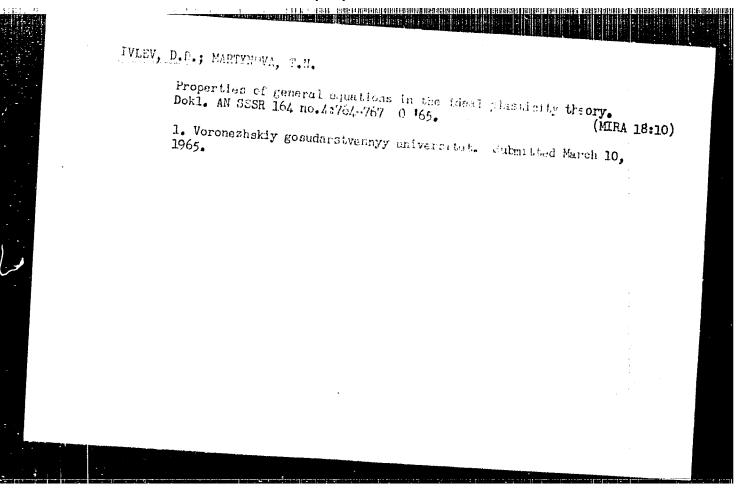
1. Voronezhskiy gosudarstvennyy universitet.



BYKOVTSEV, G.I. (Voronezh); IVLEV, D.D. (Voronezh); MARTYNOVA, T.N. (Voronezh)

Properties of general equations in the theory of an isotropic ideally plastic body with piecewise-linear potentials. Izv.

AN SSSR. Mekh. no.1:56-63 Ja-F '65. (MIRA 18:5)



IVEV, G.F.

68-10-3/22

<u>and a stranger had had had a a la lunga a la la la la lunga a la pia</u>

AUTHOR: Ivlev, G.F. (Cand. Tech.Sc.)

TITLE: A Laboratory Method for the Preparation of Blends for Coking (Laboratornyy metod sostavleniya shikht dlya koksovaniya)

PERIODICAL: Koks i Khimiya, 1957, Nr 10, pp.9-10 (USSR)

Methods used for the evaluation of the caking properties of coals are reviewed. The evaluation of caking properties of coals used on the Kuznetsk Metallurgical Combine by the modified IGI AN SSSR and plastometric methods (swelling up to 470°C) is given in Table 1. It was observed by the above combine that good coke is produced if the swelling index of blends is about 40. Experimental laboratory work on the relationship between the composition and swelling index of blends was carried out. It was found that this relationship is usually linear. On the basis of results obtained the amount of good caking coals which should be added per each percent of poor caking coals in order to produce a blend with a swelling index of 40 was calculated (Table 2). It is pointed out that the calculated values can be used for guidance in the preparation of blends. There are 2 tables and Card 1/2

IVLEY, G.F., dots., kand.khim.nauk

Expanding the range of coals for coking in the Kuznetsk Basin. Izv.vys.ucheb.zav.; chern.met. no.8:167-169 Ag '58.

(HIRA 11:11)

1. Sibirskiy metallurgicheskiy institut.
(Kusnetsk Basin-Coke)

APPROVED FOR RELEASE: 03/20/2001 CIA-RDP86-00513R000619320008-2"

S/119/61/000/002/007/011 B116/B203

AUTHORS:

Ivlev, I. F. and Yastrebtsov, O. F.

TITLE:

Device for grinding thin plates made of semiconductor

materials on both sides

PERIODICAL:

Priborostroyeniye, no. 2, 1961, 19-20

TEXT: The authors describe a device developed at the Institut avtomatiki i elektrometrii Sibirskogo otdeleniya AN SSSR (Institute of Automation and Electrometry of the Siberian Department of the AS USSR). It is used for grinding thin semiconductor plates on both sides at the same time. The design of this device is based on the scheme shown in Fig. 1. The plates 1 to be ground are placed into the cells of cage 2. The cage is arranged between the two grinding wheels, the upper one 3 and the lower one 4, for lapping. The working surfaces of these wheels are plane, polished, and made of stainless steel. The lower one is rigidly fixed, and has an outer ring 5. The upper wheel rotates eccentrically by means of an eccentric at 30-140 rpm. The cage performs a complex motion in grinding. It rolls off on the inner circumference of the outer ring of the lower wheel. This is achieved with Card 1/4

Device for ...

S/119/61/000/002/007/011 B116/B203

the aid of a 2.5-3mm high flange on the cage circumference and by an appropriate selection of cage diameter and eccentricity according to the grinding wheel diameter. A slit about 1 mm wide must be provided between the upper grinding wheel and the outer ring. The eccentric bolt must not exert a vertical pressure on the upper grinding wheel. The required pressure on the surfaces to be ground is generated by the weight of the upper grinding wheel and by additional weights. The final thickness of the ground plates is equal to the cage thickness. Fig. 2 shows a side view of the device. support 1 carries the faceplate 2 with the lower grinding wheel 3 and the outer ring 4. The latter has twelve 2.5 mm full-length borings 5 on its circumference; 6 is a packing, 7 is the cage made of acetyl cellulose; 8 is the upper grinding wheel. The excess abrasive can flow off through a boring into the base 9. The eccentric 11 with bolt 12 and counterweight 13 is attached to the lower end of spindle 10. The eccentric bolt moves freely in the bronze bushing 14 of the upper grinding wheel. The required pressure on the plates during grinding is attained with the aid of the weights 15. The spindle is driven by an electric motor 16 (0.27 kw at 1400 rpm) via belt drive 17 with three speeds and a two-stage gearing 18. The spindle is held in lowest position by means of thrust collar 19. After grinding, the spin-Card 2/4

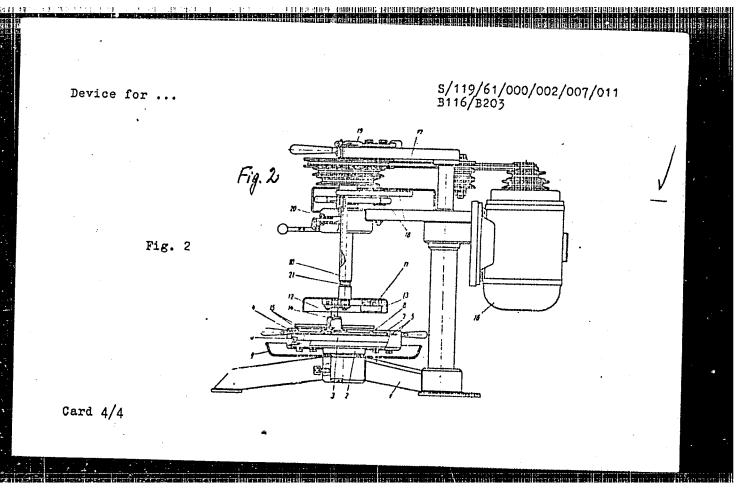
Device for ...

S/119/61/000/002/007/011 B116/B203

dle is lifted to top position, and held there by a rest 20 (engaging in the annular groove 21). The spindle rotates at 30, 75, and 140 rpm. On the basis of experience gained, the following was found: within one lot, the plates to be ground (5-6 pieces) should be sorted by thickness; to prevent a destruction of the plates, grinding should be started at minimum pressure and spindle speed; it is not necessary to divide the grinding process into two operations, rough grinding and finishing. One operator can attend to several devices at the same time. There are 2 figures.

Legend to Fig. 1: Diagram of the device for grinding thin plates on both sides.

Card 3/4



KRIVONOS, P.F.; IVIEY, I.M., obshchiy red.

[Combined railroad, automobile, and water transportation; experience gained in the operation of the Southwestern Railroad] Komplekance ispol'zovanie sheleznodoroshnogo, avtomobil'nogo i vodnogo transporta; iz opyta raboty IUgo-Kapadnoi sheleznoi dorogi. Kiev. 1960. 38 p. (Obshchastvo po rasprostraneniiu politicheskikh i nauchnykh snanii Ukrainskoi SSR. Ser.7, no.2).

(MIRA 13:3)

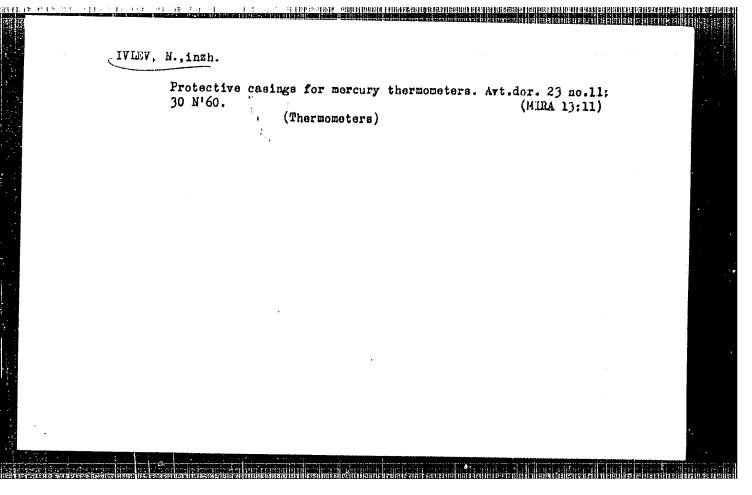
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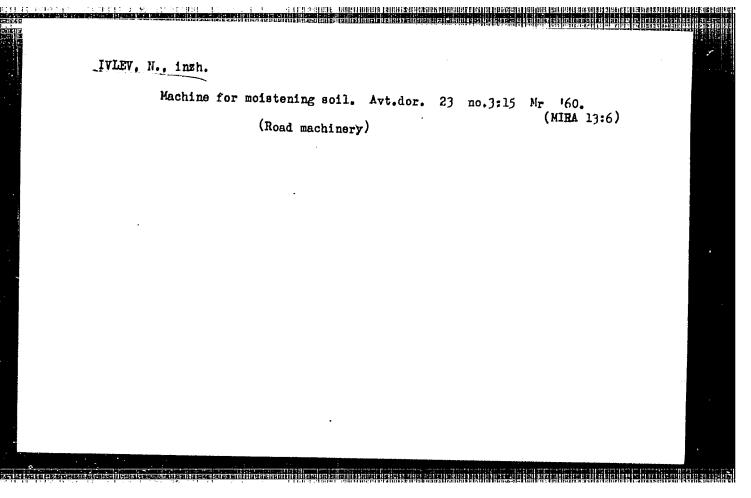
SOLNISHKOV, A. I.; KOMAROV, V. P.; KUZNETSOV, V. S.; AEROYAN, M. A.; IVANOV, N. F.
ZHELEZNIKOV, F. G.; ROTFE, I. M.; ZABLOTSKATA, G. R.; IVLEV, I. V.; LATMANISOVA, G. M.

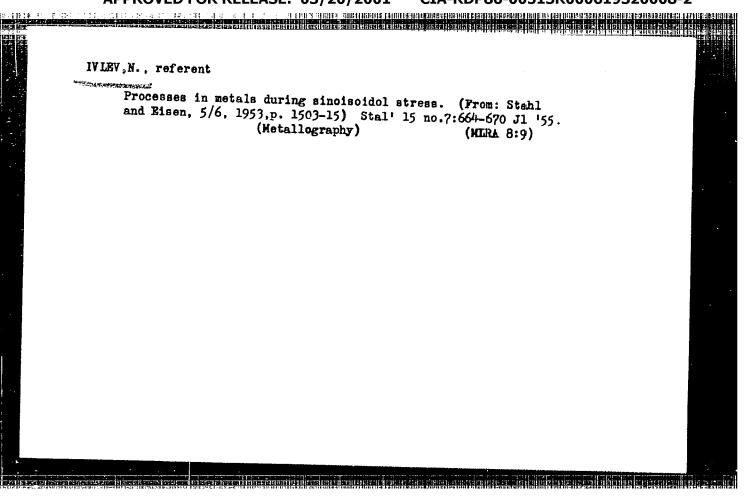
Gurrent Injector for a Strong Focussed Linac.

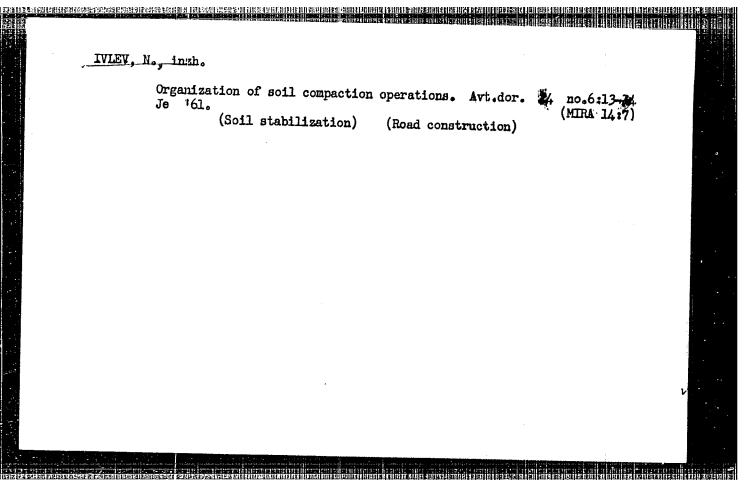
report presented at the Intl. Conf. on High Energy Accelerators, Dubma, August 1963.

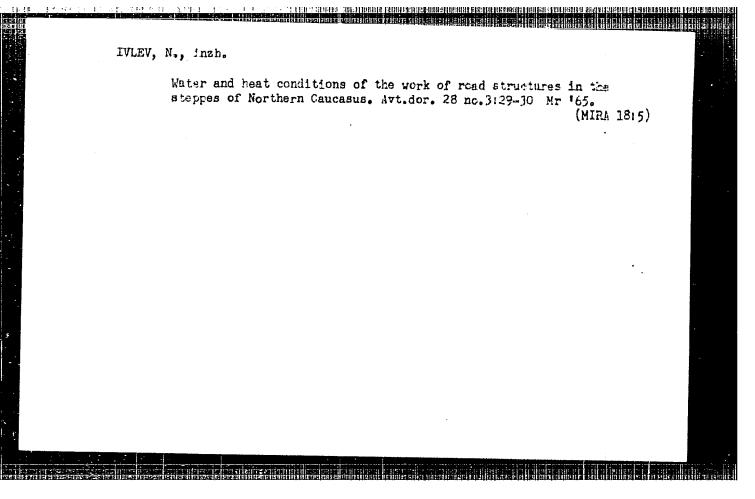
IVLEY, N., elektromontor. Introduction of automatic vacuum drainage control. Zhil.-kom. khoz. 3 no.6:25-29 Je 153. (HLHA 6:7) 1. Pervaya nasosnaya stantsiya upravlyaemogo vakuumnogo drenazha Mosgorispolkoma. (Moscow--Saworage)

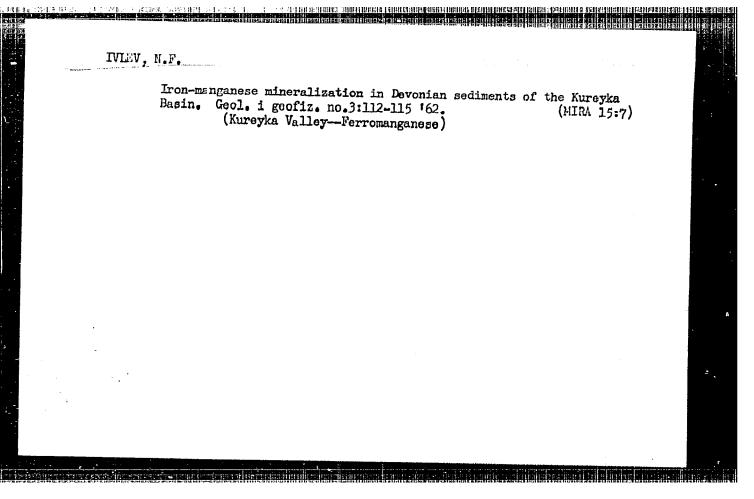












VOTAKH, O.A.; IVLEV, N.F.; MIKU ISKIY, S.P.

Pre-Cambrian of the Igarka region. Dokl.AN SSSR 154 no.6:1331-1333 F 164. (MIRA 17:2)

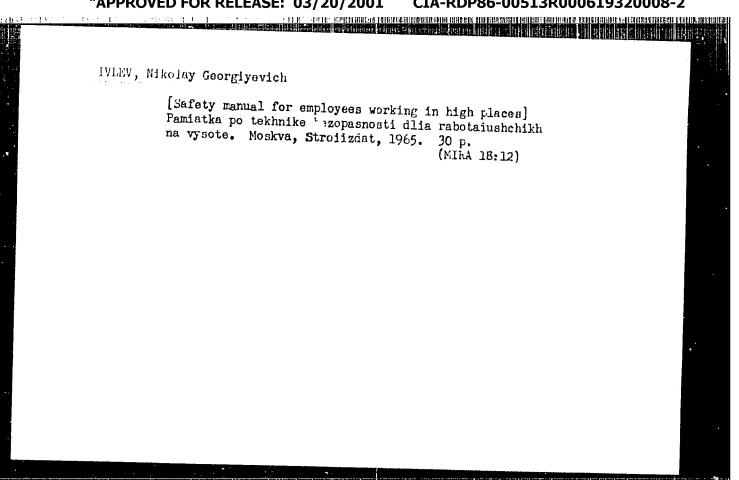
1. Institut geologii i geofiziki Sibirskogo otdeleniya AN SSSR i Sibirskiy nauchno-issledovatel'skiy institut geologii, geofiziki i mineral'nogo syr'ya. Predstavleno akademikom A.A.Trofimukom.

IVLW, Nikolay Georgiyevich; MEURANIN, M.A., red.

[Safety manual for mechanics in the construction industry]
Pamiatka po tekhnike bezopasnosti dila stroitellnogo slesaria. Moskva, Stroitzdat, 1964. 70 p. (MIRA 17:8)

IVLEV, Nikolay Georgiyevich; CHEKHOVSKAYA, T.P., red.izd-va; MOCHALINA, Z.S., tekhn. red.

[Booklet on protective clothing and individual protection measures] Pamiatka o spetsodezhde i sredstvakh individual-noi zashchity. Moskva, Gos. izd-vo lit-ry po stroit., arkhit. i stroit. materialam, 1961. 30 p. (MIRA 15:3) (Clothing, Protective)



8(4) SOV/112-59-5-10339

Translation from: Referativnyy zhurnal. Elektrotekhnika, 1959, Nr 5, p 273 (USSR)

AUTHOR: Ivlev, N. I., and Sychugov, N. A.

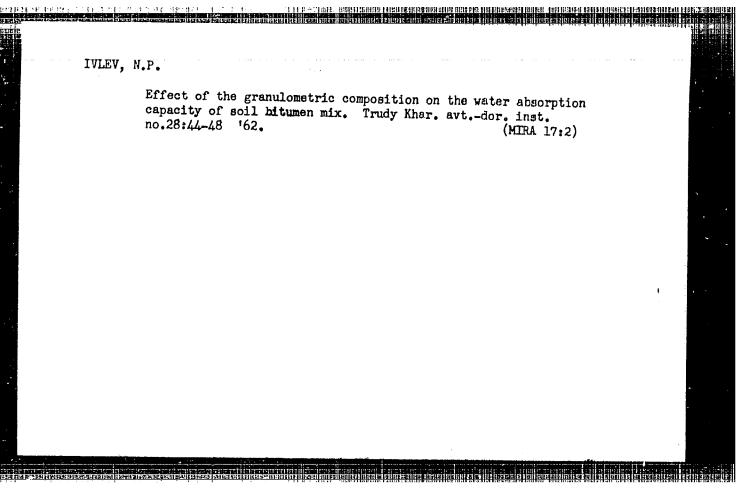
TITLE: Rational Electric Lighting for Animal Breeding Farms

PERIODICAL: Sb. stud. nauchn. rabot. Altaysk. s.-kh. in-t, 1957, Nr 6, pp 72-77

ABSTRACT: A scheme of automatic control for electric lighting at animal-breeding farms and the scheme components are described. The scheme comprises FS-Kl and FS-K2 photoresistors and an RK-l photorelay which operates at 50-220 v. The cost of equipment is 200 rubles. It is stated that such an outfit can save electric energy because, otherwise, the electric lighting at animal-breeding farms is on for 24 hours a day.

A.A.M.

Card 1/1



IVLEV, N. S. Lt. Col. Med. Service

"The Problem of Contraindications to Training Parachute Jumps and Seat Ejection," Voyenno-medits. zhur., No.4, pp. 50-53, 1957

Translation 1119947

RCGACHIKOV, G.I., inzh.; IVIEV, O.I., inzh.

Experimental study and final adjustment of the operating process of the Ch 8,5/11 diesel engine. Energomashinostroenie 11 no.6;15-20 Je 165.

(MIRA 18:7)

IVLEV, P. F.

Ivlev, P. F. -- "The Working Out of the Biochemical Basis of the Technology of Wines of the Sherry Type." Krasnodar Inst of the Food Industry, Chair of the Technology of Wine Making, Krasnodar, "Soviet Kuban'," 1955 (Dissertation for the Degree of Candidate in Technical Sciences)

SO: Knizhnaya Letopis', No 24, 11 June 1955, Moscow, Pages 91-104

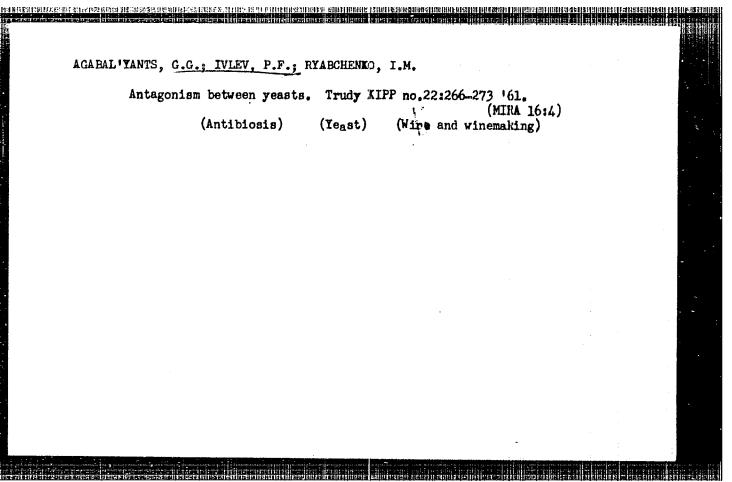
IVLV, F.F.

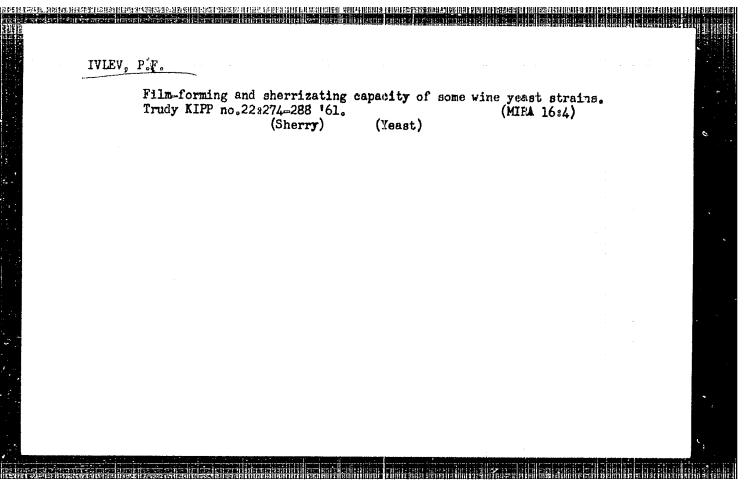
dole of oxygen in the sherry process. Lzv. vys. ucheb. zav.;
pishch. tekh. no. 2:34-42 *58. (MIRA 11:10)

1. Krasnodarskiy institut pishchevoy promyshlennosti, Kafedra tekhnologii vinodeliya.

(Sherry)

ALTROVED FOR KELEASE: 03/20/2001 CIA-RDP86-00513R000619320008-2 AGARAL'YANTS, G.G.; IVLEV, P.F.; IYABCHERKO, I.M. Mature of sherry yeast. Izv.vys.ucheb.zav.; pishch.telth. no.1: 63-72 159. (MIRA 12:6) 1. Krasnodarskiy institut pishchevoy promyshlenmosti, kafedra tekhnologii vinodeliya. (Yeast)



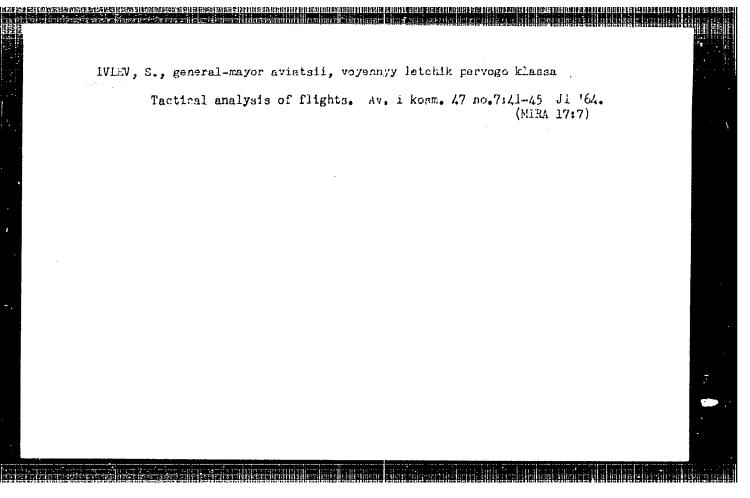


AGAEAL'YANTS, G.G.; IVLEV, P.F.

Nature of the changes occurring in the nitrogen substances of wine during its sherrization. Trudy KIPP no.221299-303 '61.

(MIRA 16:4)

(Wine and winemaking-Anelysis) (Nitrogen)



Iuleu, S.P.

sov/86-59-1-32/39

AUTHOR: Ivlev, S.P., Guards Engr Lt Col

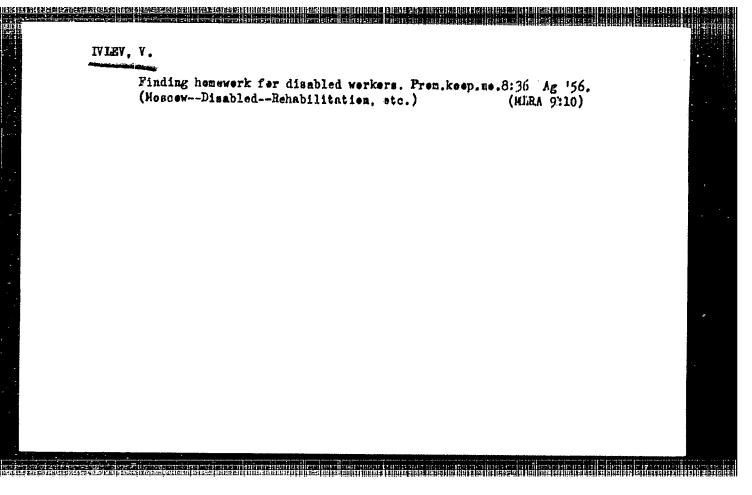
TITLE: Hard Times (V trudnyye dni)

PERIODICAL: Vestnik vozdushnogo flota, 1959, Nr 1, pp 77-83 (USSR)

ABSTRACT: The author narrates his experience during the Great Patriotic War, when he served as a flight technician in an

Air Force squadron. There is one photo.

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IVLEY, V.; STAKHURSKIY, A. Ye., red.; ARKHAROVA, L.Ya., red.1zd-va; BEGICHEVA, M.N., tekhn.red.

[Homemade motion-picture printing machine] Samodel'nyi kino-kopiroval'nyi stanok. Moskva, M-vo kul'tury RSFSR, Izd-vo "Detskii mir", 1961. 1 fold. (Prilozhenia k zhurnalu "IUnyi tekhnik," no.8(98)) (HIRA 14:3)

1. TSentral naya stantsiya yunykh tekhnikov, Moscow. (Amateur motion pictures -- Mquipment and supplies)

SHENDEROVICH, M.B., LERNER, Yu.S.; RUDENKO, V.A.; KLIMENT'YEV, I.D.;

Nagnesium cast iron castings for agricultural machinery. Lit.;

proizv. no.1:35 Ja '65.

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IVLEV, V.A.; KOSTETSKIY, I.I.

Magnetic methods and equipment for controlling the structure of cast iron with spheroidal graphite, Defektoskopiia 1 no.3:43-53 '65. (MIRA 18:8)

1. TSentral'ny je konstruktorsko-tekhnologicheskoye byuro Upravleniya po razvitiyu kuznechnogo-pressovogo i liteynogo mashinostroyeniya Gosudarstvennogo komiteta po mashinostroyeniyu pri Gosplane SSSR, Odessa.

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1. Iz kliniki gospital'noy khirurgii (zav. - prof. A.V.Belichenke [deceased]) Kurskogo gosudarstvennogo meditsinskogo instituta.

(PEPTIC ULGER) (CANCER)

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Kurskogo gosudarstvennogo meditsinskogo instituta.

(PEPTIC ULCER)

IVLEY, V.F.

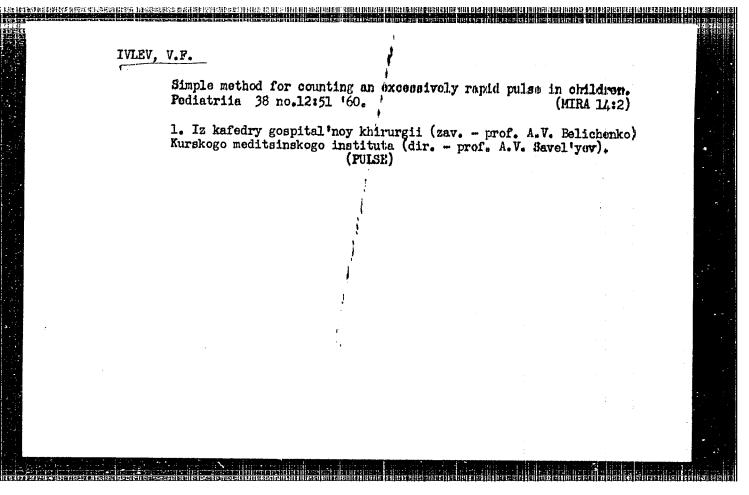
External intestinal fistulas. Khirurgiia 34 no.9:87-91 S '58.

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1. Iz kafedry gospital'noy khirurgii (zav. - prof. A.V. Belichenko) Kurskogo meditsinskogo instituta (dir. - prof. A.V. Savel'yev).

(FISTULA) (INTESTHES-ABNORMITIES AND DEFORMITIES)

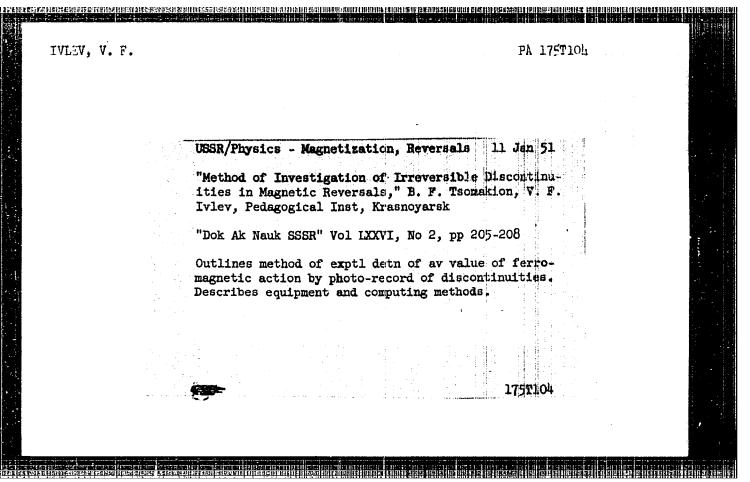
APPROVED FOR RELEASE: 03/20/2001 CIA-RDP86-00513R000619320008-2"

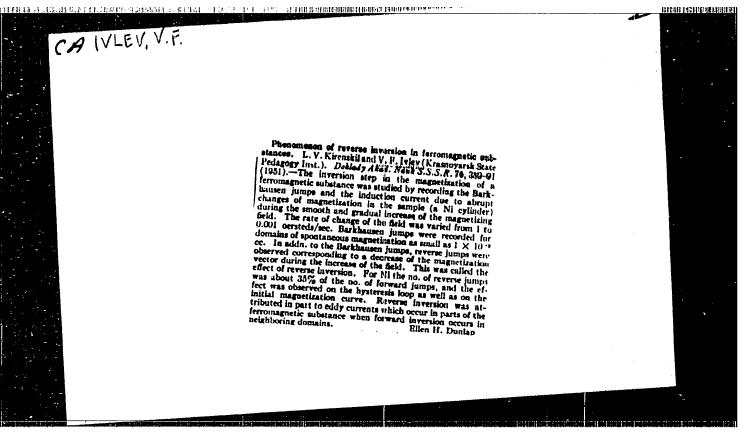


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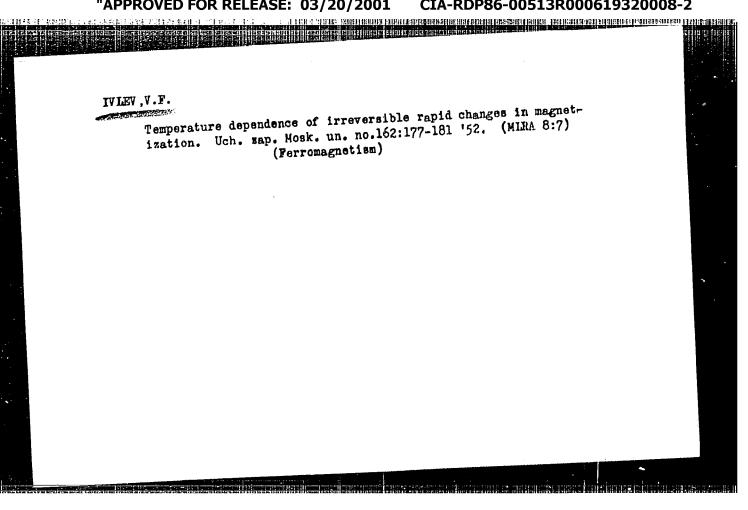


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Cand. Physico-Eather tiest Set.

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So: Sum. No. 180, 9 Pay 55.

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